

# **Engineering physics**

**1<sup>st</sup> year**

## **Chapter 3: Fluids**

**Lecture 1 and 2**

**By: Prof. Dr. Falhy-A-Ali**

---

Engineering physics

1<sup>st</sup> year

By: Prof. Dr. Falhy-A-Ali

## **Objectives:**

- Explain the density and pressure.
- The relationship between the pressure and depth, Atmospheric pressure.
- Pascal's law, Archimedes' principle.
- The continuity equation.
- Bernoulli's equation.
- The Venturi meter.

## Chapter-3

### Fluids

#### Density:

Mean as the mass per unit volume of any material.

In cgs system:

$$\frac{g}{cm^3}$$

In mks system:

$$\frac{kgm}{m^3}$$

$$1 \frac{g}{cm^3} = 1000 \frac{kgm}{m^3}$$

$$\frac{g}{cm^3} = \frac{10^{-3} kgm}{10^{-6} m^3} = 10^3 \frac{kgm}{m^3}$$

Such as

$$\rho = 1 \times 10^3 \frac{kg}{m^3} \text{ for water}$$

For silver

$$\rho = 10.5 \times 10^3 \frac{kg}{m^3}$$

$$\text{Cooper} \Rightarrow \rho = 8.9 \times 10^3 \frac{kg}{m^3}$$

$$\text{Gold} \Rightarrow \rho = 19.3 \times 10^3 \frac{kg}{m^3}$$

$$\text{Platinum} \Rightarrow \rho = 21.4 \times 10^3 \frac{kg}{m^3}$$

Engineering physics

1<sup>st</sup> year

By: Prof. Dr. Falhy-A-Ali

**Ex:** Find the mass and weight of the air in a living room with a  $4m \times 5m$  floor and ceiling  $3m$  high. What is the mass and weight of an equal volume of the water?

Sol:

$$volume \Rightarrow V = 3 \times 4 \times 5 = 60m^3$$

$$m_{air} = \rho_{air}V$$

$$= 1.2 \times 60 = 72kgm$$

$$\text{الوحدات} \Rightarrow \frac{kg}{m^3} \times m^3 = kgm$$

...

The weight of the air is:

$$\begin{aligned}w_{air} &= m_{air} \times g \\ &= 72 \times 9.8 = 700N\end{aligned}$$

The mass of an equal volume of water is:

$$\begin{aligned}m_{water} &= \rho_w V = 1000 \frac{kg}{m^3} * 60m^3 \\ &= 6 * 10^4 kg\end{aligned}$$

The weight is:

$$\begin{aligned}w_{water} &= mg = 6 * 10^4 * 9.8 \\ &= 5.9 * 10^5 N\end{aligned}$$

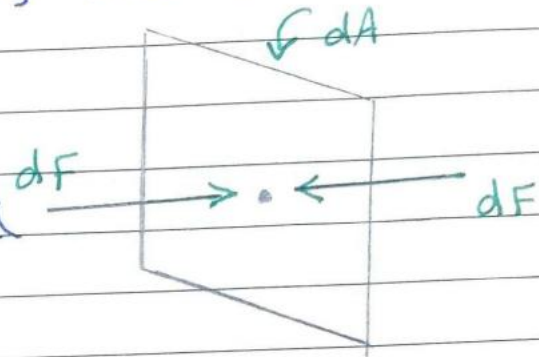
$$\text{نيوتن} \Rightarrow N = \frac{kgm \cdot m}{sec^2}$$

Pressure: consider a small surface of area  $dA$  centered on a point in the fluid. The normal force exerted by the fluid on each side is  $dF_{\perp}$ .

$\therefore$  the pressure  $P$  at that point as the normal force per unit area

$$P = \frac{dF}{dA} \quad \text{--- (1)}$$

If the pressure is the same at all points of a finite plane surface with area  $A$ ;



then,

$$P = \frac{F_{\perp}}{A} \quad \text{---} \quad \textcircled{2}$$

← The unit,

$$1 \text{ Pascal} = 1 \text{ Pa} = \text{N/m}^2$$

الوحدات:

$$1 \text{ bar} = 10^5 \text{ Pa}$$

$$\text{mbar} = 100 \text{ Pa}$$

Atmospheric pressure:

الضغط الجوي

this pressure varies with weather changes and with elevation.

الوقت

$$1 \text{ atmosphere (atm)} = 101.325 \text{ Pa}$$

$$(Pa) = 1 \text{ atm} = 1.013 \times 10^5 \text{ Pa}$$



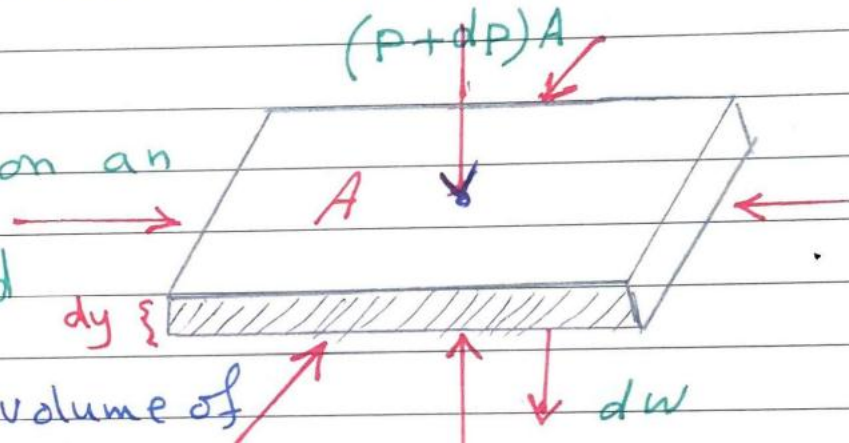
## pressure, Depth, and Pascal's Law:

We shall derive a general relation between the pressure  $p$  and the elevation  $y$ , Assume that  $\rho$  density and  $g$  the accelerati

- of the fluid is in equilibrium.

- consider a thin element of fluid with thickness  $dy$

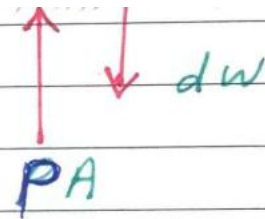
\* Fig. the forces on an element of fluid in equilibrium.



- the volume of

in equilibrium.

— the volume of  
the fluid element is:



$$dV = A dy$$

$$dm = \rho dV$$

$$dm = \rho A dy$$

its weight is

$$dW = dm g$$

$$dW = \rho g A dy$$

The pressure at the bottom surface  $P$ ,

The pressure at the top surface is  $(P+dp)$ ,

The total force on the top surface is

$$-(P+dp)A.$$

the total force, including the weight and the forces at the bottom and top surfaces, must be zero,

$$\sum F_s = 0$$

so,

$$PA - (P + dp)A - \rho g A dy = 0$$

$$PA - PA - dpA - \rho g A dy = 0$$

when we divide out the area  $A$  and we get:

$$\frac{dp}{dy} = -\rho g \quad \text{--- (3)}$$

this equation, shows that when  $y$  increases,  $P$  decreases, as we move upward in the fluid, pressure decreases.

$$y \propto \frac{1}{P}$$